



Supplement of

Tectonic processes, variations in sediment flux, and eustatic sea level recorded by the 20 Myr old Burdigalian transgression in the Swiss Molasse basin

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S1 Reconstructions of palaeo-bathymetrical conditions

S1.1 Reconstruction of the water depth from ripple-marks morphometry and grain size

The palaeo-bathymetrical conditions were derived from sedimentary structures such as symmetric- and asymmetric-ripplemarks. These bedforms need bottom oscillatory waves to form (Komar and Miller, 1973). Accordingly, the morphometry and grain side of these bedforms bear information about the velocity of the oscillatory currents, which can be used as basis to calculate palaeo-water depth conditions (Allen, 1981). In addition, the orientation of asymmetric ripple-marks and preserved ripple-crests allow to interpret the flow direction and the orientation of the coastline during their formation (Clifton and Dingler, 1984).

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In the past years, several authors have used field-based data on the spacing λ , the height *h* and the median grain size *D* of oscillatory ripple-marks in various environments to estimate of palaeo-wave conditions (e.g. Tanner, 1971; Komar and Miller, 1973; Allen, 1981; Clifton and Dingler, 1984; Diem, 1985). This has also been the case for the Swiss Molasse basin, where the theory of deepwater waves has served as basis to successfully calculate the palaeo-water depths based on ripple-mark morphometries (Allen, J., 1984; Allen, 1981, 1984, 1997; Allen et al. 1985; Diem, 1985). Here, the focus lies on vortex ripples,

15 morphometries (Allen, J., 1984; Allen, 1981, 1984, 1997; Allen et al. 1985; Diem, 1985). Here, the focus lies on vortex ripples, which have a steepness of $h/\lambda < 0.12$ -0.22 (Clifton and Dingler, 1984) or a VFI of $\lambda/h < 7.5 << 10$ (Allen, P., 1984) and which were likely formed by waves.

The ripple spacing λ depends on the near-bed orbital diameter d_o , which decreases exponentially with water depth (Allen, P. 1984, Allen, J., 1984; Miller and Komar, 1980a and 1980b; Fig. S3):

$$d_o = \lambda / 0.65 \tag{1}$$

Measurements of the grain size D allow calculations of the critical velocity for sediment entrainment U_t , where variations in D need to be considered (Komar and Miller, 1973):

For
$$D < 0.5mm$$
; $U_t^2 = 0.21 (d_o/D)^{1/2} \frac{(\rho_s - \rho_w)gD}{\rho_w}$ (2a),
For $D \ge 0.5mm$; $U_t^2 = 0.46\pi (d_o/D)^{1/4} \frac{(\rho_s - \rho_w)gD}{\rho_w}$ (2b).

Here, the variables ρ_s and ρ_w denote the sediment and water densities, respectively, and g refers to the gravitational acceleration. The maximum wave period T_{max} can then be calculated using the estimates of the near-bed orbital diameter d_o and the threshold velocity U_t for sediment entrainment (Allen, P., 1984):

$$5 \quad T_{max} = \pi d_0 / U_t \tag{3}$$

The wave period allows to calculate the deep-water wavelength L, which is independent of the water depth and bases on the wave period only (Allen, P., 1984):

$$10 \quad L = T^2 \max_{2\pi} \frac{g}{2\pi} \tag{4}.$$

Allen (1997) suggests that orbital diameters of oscillatory water particles decrease exponentially from the surface to greater water depths, where:

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$$d_y = H \exp(y \frac{2\pi}{L})$$
(4),

where d_y is the orbital diameter at a specific water depth (-*y*, negative term), *H* is the wave height, and *L* is the wavelength (all in m), respectively. Similar to the diameter, the maximum orbital velocity of water particles c_y also decreases with water depth (Allen, 1997):

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$$c_{y} = A \, \frac{2\pi}{L} c_{y=0} \exp(y \, \frac{2\pi}{L})$$
(5),

where A is the amplitude equal to the half of the waveheight H and $c_{y=0}$ is the celerity (wave propagation velocity in m/s) of deep-water waves at the surface, respectively (Fig. S3). According to Allen, P. (1984) the celerity at the surface ($c_{y=0}$) can be calculated through:

$$c_{y=0} = \sqrt{\frac{gL}{2\pi}} = \frac{L}{T}.$$
(6).

Since *A* in Eq. (5) refers to the half of the waveheight *H*, we can substitute *A* with H/2. Note, that at the surface, the form of deep-water waves is not expressed as perfect semicircles in height and diameter. This is particularly the case for shallow marine environments where the waves show a flattened, elliptical shape, which reduces the height of *A* and eventually elongates the diameter d_0 (Fig. S3, Clifton and Dingler, 1984). We further consider the relationships between waveheight *H* and wavelength *L*, which can be expressed through the height to length ratio H/L = 0.142 (Michell, 1893). By replacing *H* with 0.142*L and substituting $c_{v=0}$ with L/T Eq. (5) changes to:

$$c_{y} = \frac{0.142 L}{2} * \frac{2\pi}{L} * \frac{L}{T} * \exp(y\frac{2\pi}{L}) = 0.142 \pi \frac{L}{T} \exp(y\frac{2\pi}{L})$$
(7).

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The water depth y can then be calculated using U_t as proxy for c_y , and through the combinations of Eq. (3) and Eq. (7). This results in an expression, where the water depth y for a wave with a length L can be estimated. Since our approach mainly involves threshold conditions and maximum values, the water depth will be overestimated. Accordingly, Eq. (8) returns maximum value for palaeo-water depth:

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$$y = \frac{L}{2\pi} * \ln(\frac{d_0}{0.142 * 2 * L})$$
(8).

We thus measured the ripple-spacing (λ , crest to crest), the ripple-height (h, trough to crest) and the median grain size (D) in the field. We tested whether the ratio-values of the ripple-steepness h/λ (Sleath, 1976; Miller and Komar, 1980a; Clifton and Directory of the ripple steepness h/λ (Sleath, 1976; Miller and Komar, 1980a; Clifton and Directory of the ripple steepness h/λ (Sleath, 1976; Miller and Komar, 1980a; Clifton and Directory of the ripple steepness h/λ (Sleath, 1976; Miller and Komar, 1980a; Clifton and Directory of the ripple steepness h/λ (Sleath, 1976; Miller and Komar, 1980a; Clifton and Directory of the ripple steepness h/λ (Sleath, 1976; Miller and Komar, 1980a; Clifton and Directory of the ripple steepness h/λ (Sleath, 1976; Miller and Komar, 1980a; Clifton and Directory of the ripple steepness h/λ (Sleath, 1976; Miller and Komar, 1980a; Clifton and Directory of the ripple steepness h/λ (Sleath, 1976; Miller and Komar, 1980a; Clifton and Directory of the ripple steepness h/λ (Sleath, 1976; Miller and Komar, 1980a; Clifton and Directory of the ripple steepness h/λ (Sleath, 1976; Miller and Komar, 1980a; Clifton and Directory of the ripple steepness h/λ (Sleath, 1976; Miller and Komar, 1980a; Clifton and Directory of the ripple steepness h/λ (Sleath, 1976; Miller and Komar, 1980a; Clifton and Directory of the ripple steepness h/λ (Sleath, 1976; Miller and Komar, 1980a; Clifton and Directory of the ripple steepness h/λ (Sleath, 1976; Miller and Komar, 1980a; Clifton and Directory of the ripple steepness h/λ (Sleath, 1976; Miller and Komar, 1980a; Clifton and Directory of the ripple steepness h/λ (Sleath, 1976; Miller and Komar, 1980a; Clifton and Directory of the ripple steepness h/λ (Sleath, 1976; Miller and Komar, 1980a; Clifton and Directory of the ripple steepness h/λ (Sleath, 1976; Miller and New Argent) (Sleath, 1976; Miller and

15 Dingler, 1984) and inversely, the ripple-index or the vertical from index VFI (Allen, P., 1984; Allen, J. 1979), fulfilled the criteria for vortex ripples. We then applied Eq. (9) to these 12 measurements of ripple-marks at the different sections. We justify the selection of deep-water wave theories because we focussed on those oscillation-ripple-marks (Sos-facies), which were formed in the lower shoreface where related conditions are likely to apply. The results revealed changes in bathymetrical conditions through time which were used to reconstruct the ancient sea conditions in the Molasse basin.

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S1.2 Estimations of palaeo-water depth from set-thickness

We use the set-thickness of preserved sedimentary bedforms to estimate the palaeo-water depth conditions during deposition of the OMM. We mainly focus on cross-bedded- (Sc, Sct_a) and trough cross-bedded-sandstones (Sct_r) since these facies assemblages are commonly found in the OMM-deposits and they have intensely been investigated in the past by several authors (e.g. Allen, J. 1982; 1984; Allen, P., 1984; Rust and Gibling, 1990; Nicholson, 1993; Bridge and Tye, 2000; Mohrig et al.,

- 2000; Leclair and Bridge, 2001; Tjerry and Fredsøe, 2005; Hajek and Heller, 2012; Blondeaux and Vittori, 2016). We use the fact, that according to these authors the bedform thickness h_b and the mean water depth y_m are positively correlated to each other. Furthermore, in the case of tabular cross-beds (Sct_a), which we interpret as sandwaves, the water depth during their formation is directly proportional to their height (e.g. Blondeaux and Vittori, 2010). In this case, the properties of sandwaves
- 30 explored by Yalin (1964; 1992) returned a relationship between the mean water depth (y_m) and the mean height of the sandwave (h_b) of approximately $y_m/h_b = 6$. Values proposed by Yalin (1964) and Allen, J. (1982; 1984), who both stated that set-thickness is increasing with water depth, resulted in the relation of $h_b/y_m = 0.1$ to 0.167, however with a large scatter of the plotted data.

We note, however, that other authors (e.g. Stride, 1970) contested the statement of a correlation between the height of sandwaves and the mean water depth. In addition, Flemming (2000) also refuted the inference that the bedform height is only depending on the water depth. Instead he showed that grain-size and flow-velocity also plays a primary role in the formation of sandwaves with various heights. Nevertheless, it is possible to estimate minimum water depth levels by considering the

- 5 thickness of set-heights, because the minimum water depth must be at least as high as the preserved set-thickness. We thus proceeded following the approach by Bridge and Tye (2000), who explored sandy river dunes where the sedimentary properties are similar to those of marine sandwaves (e.g. Allen, J., 1984; Hulscher and Dohmen-Janssen, 2005) encountered in our sections. These authors proposed that the relationship between the mean water depth and mean dune height ranges in average between 6 and 10 (Bridge and Tye, 2000), which is confirmed by the study of Leclair and Bridge (2001). In addition, we need
- 10 to consider that these relationships do not include post-depositional erosion or compaction of the bedforms, which accordingly results in an underestimation of the palaeo-water depth.

In summary, we used the aforementioned relationships in order to estimate the range of the paleo-water depth (y_m) from the preserved set-height (h_b) of cross-beds (Sc) and dunes (Sct_a, Sct_r) by applying the relationship of Allen, J. (1982) and Bridge and Tye (2000), which are summarized in Eq. (1) and Eq. (2), alternatively:

$$y_{m1} = h_b / 0.1 \text{ to } 0.167$$
 after Allen, J. (1982) (1),

$$y_{m2} = h_b * 6 \text{ to } 10 \qquad \text{after Bridge and Tye} (2000) \tag{2}$$

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The results of our palaeo-bathymetric estimations are presented as plots in the sedimentological profile sections (Figs. 4, see manuscript) and as numerical data in Table S2 (Entlen) and Table S3 (Sense), respectively. Calculations of cross-beds thickness of inferred sand-waves are shown Table S1 together with already published data from the Swiss Molasse basin.

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Unit	Site (this study) (see Fig. 2a)	Water depth (this study)	Water depth and location (other studies)
c. OMM-Ib (?)	Marly	12 – 20 m	10 m, Marly (Allen and Homewood, 1984)
c. OMM-Ib (?)	St. Magdalena	3 - 5 m	
OMM-Ib	Estavayer-le-Lac	30 - 50 m	
OMM-Ib	Mägenwil	36 – 60 m; up to 100 m in places	25–60 m, Mägenwil (Allen and Homewood, 1984)
OMM-Ib (?)		-	10 – 35 m, Bay near Napf (Keller, 1989)
OMM-II			20 m, Pfänder-Delta (Schaad et al., 1992)

Table S1: Estimates of water depths from preserved cross-bed thickness at various sites

Table S2: Estimates of water depths from preserved cross-bed thickness at the Entlen section

Unit	Stratigraphic level (approx.)	Water depth (this study)			
	10 m	1.3 – 2.2 m			
	50 m	1.7 – 2.9 m			
	60 m	0.7 - 1.2 m			
	80 m	1.2 - 2.1 m			
OMM-Ia	90 m	1.1 – 1.9 m			
	190 m	1.4 - 2.4 m			
	230 m	1.0 – 1.8 m			
	280 m	0.8 – 1.3 m			
	290 m	1.5 - 2.5 m			
	370 m	12 - 20 m			
	390 m	4.4 - 7.3 m			
	420 m	0.15 - 0.35 m			
	420 m	0.2 - 0.35 m			
	430 m	0.10 - 0.2 m			
OMM-Ib	430 m	0.1 - 0.35 m			
	650 m	3.3 - 5.5 m			
	660 m	2.9 – 4.8 m			
	680 m	1 – 1.8 m			
	700 m	5 - 8.5 m			
	720 m	6 – 10 m			

Unit	Stratigraphic level (approx.)	Water depth (this study)			
	40 m	3 - 5 m			
	40 m	2.4 - 4 m			
	40 m	6.6 – 11 m			
	45 m	2.4 - 4 m			
OMM-Ia	45 m	3 - 5 m			
	70 m	1.2 - 2 m			
	75 m	1.5 - 2.5 m			
	160 m	2.4 - 4 m			
	170 m	3 - 5 m			
	200 m	24 – 40 m			
	205 m	15 – 25 m			
	210 m	24 – 40 m			
	215 m	0.07 - 0.10 m			
01010	220 m	0.10 - 0.2 m			
OMM-Ib	230 m	1.8 – 3 m			
	235 m	15 – 25 m			
	240 m	0.9 – 1.5 m			
	250 m	0.6 - 1 m			
	260 m	0 - 1 m			

Table S3: Estimates of water depths from preserved cross-bed thickness at the Sense section



Figure S1: Schematic sketch showing important parameters of waves and wave-formed ripple marks. Note, the orbital diameter (do) refers to the wave height at the surface (H) for perfect sinusoidal shaped waves. All variables are measured in SI-units. Please see Fig. 4 for plots of the calculated water depth from oscillation-ripple-marks. Figure modified after Clifton and Dingler (1984).



Figure S2: Seismic section BEAGBE.N780025 (courtesy SEAG, Aktiengesellschaft für Schweizerisches Erdöl, Langnau am Albis, 2019) showing the westward directed transgression of the basal OMM-deposits. Blue arrows indicate onlaps of OMM onto USM sediments. Please see Fig. 2a for trace of seismic line and see text for further discussion.

Figure S3: Photos showing the sedimentological architecture of the Gurten drillcore from top right to bottom left (courtesy Kellerhals and Haefeli AG, Geologen Bern, 2019). Please find the photos at the end of this file.

Figure S4: Photo table of sedimentary features encountered at a) the Entlen, and b) the Sense section, and from outcrops situated c) at the distal west of the basin (Heitenried, St. Magdalena and Estavayer-le-lac), and d) at the distal east of the Molasse (Madiswil, Mägenwil and the Napf). Please see Fig. 2a for location of field sites.

- 5 a1) Normal-graded sandstone with clearly visible parallel lamination (Sp).
 - **a2)** Parting lineation, equivalent to top view of a1).
 - a3) Cross-bedded sandstone (Sc) within massive-bedded sandstone (Sm).
 - a4) Climbing-ripple marks (Mcl) between massive-bedded sandstones and parallel-laminations (Sp).
 - a5) Pebbly lags (Sg) overlying parallel-laminations (Sp) and cross-bedded sandstones at the base.
- 10 a6) Water escape structures (sand-volcanoes, Sv) within cross- and massive-bedded sandstone (Sc, Sm).
 - b1) Tabular- and trough-cross beds (Sct_a, Sct_r) overlying massive-bedded sandstones (Sm). See person for scale.
 - **b2)** Current-ripple marks (Scr) draped with mudstone (Md).
 - b3) Detail of b2): Cross-bedded laminae of the internal Scr-structure can be used to determine the transport direction.
- 15 **b4)** Lenticular bedding (Mle) where sandstones are forming isolated lenses within mudstone layers.
 - b5) Flaser-bedding (Mlf) where sandstones are dominant and mudstones only preserved as a thin layer (Md).
 - c1) Estavayer-le-Lac : Meter-thick tabular-cross beds (Sct_a) at the distal western basin border. Meter stick is 2m.
 - c2) Heitenried : Detail of c4) Pebbly-lags (Sg) along foresets.
- c3) St. Magdalena : Trough-cross beds (Sct_r) overlying massive-bedded sandstones (Sm).
 c4) Heitenried : Zoom-out of c2) Foresets with pebbly lags (Sg) overlain by cross-bedded troughs (Sct_r, Sc).
 - d1) Napf : Massive conglomerates (Gm) overlying imbricated clasts at the base.
 - d2) Napf : Sandy foresets with pebbly-lags (Sg) among massive (Gm) and cross-bedded (Gc) conglomerates.
- d3) Madiswil : Calcaerous sandstones (Scc) forming tabular cross-beds (Sct_a) of dm-height.
 d4) Mägenwil : Calcaerous sandstones forming m-thick tabular cross-beds (Sct_a) at the distal basin border.









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(b)



(C)

























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