



# Looking beyond kinematics: 3D thermomechanical modelling reveals the dynamic of transform margins

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# 9 Abstract

10 Transform margins represent ~30% of the non-convergent margins worldwide. Their formation and 11 evolution have long been addressed through kinematic models that do not account for the mechanical 12 behaviour of the lithosphere. In this study, we use high resolution 3D numerical thermo-mechanical 13 modelling to simulate and investigate the evolution of the intra-continental strain localization under 14 oblique extension. The obliquity is set through velocity boundary conditions that range from 15° (high 15 obliquity) to  $75^{\circ}$  (low obliquity) every  $15^{\circ}$  for strong and weak lower continental crust rheologies. 16 Numerical models show that the formation of localized strike-slip shear zones leading to transform 17 continental margins always follows a thinning phase during which the lithosphere is thermally and 18 mechanically weakened. For low  $(75^{\circ})$  to intermediate  $(45^{\circ})$  obliquity cases, the strike-slip faults are 19 not parallel to the extension direction but form an angle of 20° to 40° with the plates' motion while for 20 higher obliquities ( $30^{\circ}$  to  $15^{\circ}$ ) the strike-slip faults develop parallel to the extension direction. 21 Numerical models also show that during the thinning of the lithosphere, the stress and strain re-orient 22 while boundary conditions are kept constant. This evolution, due to the weakening of the lithosphere, 23 leads to a strain localization process in three major phases: (1) strain initiates in a rigid plate where 24 structures are sub-perpendicular to the extension direction; (2) distributed deformation with local 25 stress field variations and formation of transtensional and strike-slip structures; (3) formation of highly 26 localized plates boundaries stopping the intra-continental deformation. Our results call for a thorough 27 re-evaluation of the kinematic approach to studying transform margins.

## **1. Introduction**

29 Transform margins, represent ~30% of the non-convergent margins worldwide (Mercier de Lépinay et 30 al., 2016; Mélody Philippon & Corti, 2016). Transform continental margin refers to the continent-31 ocean transition derived from a transform plate boundary that accommodates, or has accommodated, 32 ocean spreading (Basile, 2015; Mascle & Blarez, 1987). Transform continental margins are limited by 33 transform faults connected with divergent margins at both ends. In contrast with continental passive 34 margins, continental transform margins have received limited attention, probably due of their non-35 cylindrical nature and the steep geometry of the deformed structures that make difficult their imaging 36 by reflection seismic.

Kinematic interpretations of transform margins are mainly based on a conceptual model (Basile, 2015;
 Basile et al., 2013; Mascle & Blarez, 1987; Scrutton, 1979). This conceptual model was first





39 established from seismic lines interpretations along the conjugate Equatorial Atlantic margins (Fig. 1) assuming inherited plate boundaries (Mascle & Blarez, 1987). It then became more widely used and 40 41 applied to other plate margins around the world such as the South African margin (Parsiegla et al., 42 2009), the Antarctic Southern Exmouth Plateau along the South Australian margin (Lorenzo & Vera, 43 1992), the West Greenland margin (Suckro et al., 2013). This original conceptual model involves the 44 formation of offset intra-continental rift segments linked by a transform fault since the early stages of 45 extension. As a consequence, the whole rift-transform fault system evolves synchronously during 46 continental thinning and oceanic accretion. The onset of oceanic accretion marks the start of the triple 47 junction migration along the transform margin at half the spreading velocity (Basile, 2015; Gerya, 48 2012). The transform continental margin is then considered active during the migration of the oceanic 49 accretion axis along the continental domain. Whether transform faults originate pre- or syn-rifting or 50 even post-continental break-up is still a matter of debate. More recently, based on natural examples, 51 Bellahsen et al. (2013) and Basile (2015) highlighted that transform faults can form either 52 synchronously with the syn-rift structures and may reactivated or cross-cut inherited structures (e.g. 53 Equatorial Atlantic; Gulf of California, Fig. 1), or develop after the oceanic spreading starts, to 54 connect offset oceanic ridges (e.g. Woodlark basin e.g. Taylor et al., 2009).

55 This conceptual model and its offspring based on rigid plate tectonics does not reflect the whole intra-56 continental deformation phase associated with progressive strain localization and structures re-57 orientation (Ammann et al., 2017; Brune, 2014; Brune & Autin, 2013; Mondy et al., 2018; Le Pourhiet 58 et al., 2017). This has first order implications on tectonic plates reconstruction and the interpretation of 59 margins progressive deformation history. In highly oblique systems, during intra-continental stage, the 60 relative plate motion between two divergent segments is mostly accommodated by strain partitioning 61 along transfer fault zones (Milani & Davison, 1988). In order to better understand the dynamics of 62 such transform margins, from initiation in continental domains to maturity, it is therefore required to 63 account for lithosphere physical properties. Both analogue and numerical modelling studies have 64 focused on the formation and evolution of transform continental margins. Different modelling 65 approaches have been used to investigate parameters that control intra-continental deformation and 66 transform margin formation, all of them implying oblique plate motion (rift obliquity controls the 67 orientation and proportion of normal and strike-slip faults). On the one hand, this obliquity can be 68 either imposed through initial conditions with oblique pre-existing weak zones representing a 69 structural inheritance (Agostini et al., 2009; Ammann et al., 2017; Brune et al., 2012; Corti, 2012; 70 Duclaux et al., 2020; Mart & Dauteuil, 2000; Tron & Brun, 1991) or imposed en-échelon offset weak 71 zones (Allken et al., 2012; Le Calvez & Vendeville, 2002; Liao & Gerya, 2015; Le Pourhiet et al., 72 2017; Zwaan et al., 2016). On the other hand, obliquity can be set through boundary conditions with 73 oblique extension (Brune, 2014; Brune et al., 2012; Brune & Autin, 2013) or pure shear conditions 74 (Gerya & Burov, 2018; Jourdon et al., 2020; Le Pourhiet et al., 2018) relative to the domain borders.

Except in experiments approaching pure strike-slip conditions, models show that the onset of intracontinental deformation always localizes on structures closely orthogonal to the extension direction (e.g. Brune, 2014; Duclaux et al., 2020). Then, depending on the obliquity (defined as the angle between the plate motion direction and the average rift trend) the deformation evolution differs. Resulting rifts systems are generally classified in three categories: (1) low obliquity, (2) intermediate obliquity and (3) high obliquity.

Low obliquity systems are close to orthogonal extension. For models with oblique extension or oblique weak zones it represents angles from 60° to 90° between extension direction and weak zones trend. In models involving offset rifts, low obliquity is reached for offsets of 100 km and less (Allken





et al., 2012; Liao & Gerya, 2015; Le Pourhiet et al., 2017). In these systems, the deformation is almost
 always orthogonal to the extension direction and the developing structures are mainly extensional.

86 Intermediate obliquity is reached in models involving an oblique weak zone or oblique extension for 87 angles of extension between 30° and 60° (Agostini et al., 2009; Brune, 2014; Corti, 2012; Duclaux et 88 al., 2020), while for models with offset weak zones, an offset of 100 km to 300 km is required (Le 89 Pourhiet et al., 2017). In this context, once the continental lithosphere thinned enough, the rheology of 90 the whole system evolves and the deformation regime changes to reach transtensional deformation. 91 Large scale strike-slip structures develop to connect isolated rift basins segments and accommodate 92 the obliquity. However, strike-slip structures are not parallel to the extension direction as transform 93 faults are in natural systems.

94 Finally, high obliquity represents systems in which the deformation regime approaches pure strike-slip 95 conditions. These conditions can be reached for obliquities lower than 30° between the rift trend and 96 the extension direction (Agostini et al., 2009; Ammann et al., 2017; Brune, 2014) or offset between 97 rifts larger than 300 km (Le Pourhiet et al., 2017). This highly oblique deformation regime is rarely 98 simulated, due to a strong limitation in models' setups associated with the use of free-slip boundary 99 conditions on the vertical boundaries of the model. Indeed, free-slip boundary conditions that are 100 generally used for vertical boundaries trending parallel to the extension direction physically prevent 101 deformation in the direction normal to the face (i.e. if free-slip is applied to a boundary of normal x, no 102 deformation can occur in x direction along this border). Therefore, models involving oblique or offset 103 weak zones show that in high obliquity contexts two independent rifts develop and never link (Le 104 Pourhiet et al., 2017) suggesting a natural propensity for segmented rifts systems rather than oblique 105 ones. However, this context seems to be the best candidate to form transform faults parallel to the 106 extension direction segmenting two spreading systems. Indeed, Ammann et al., (2017) showed that a 107 transform fault can develop in a highly oblique weak zone forming an angle of 16° with the extension 108 direction if intense softening is applied. This softening is set in their models through low viscosity 109 magmatism, allowing the viscosity in the weak zone to drop of 4 to 6 orders of magnitude compared to 110 the surrounding material.

111 Here we investigate numerically the effect of oblique extension on strain partitioning and localization 112 during early rifting and break-up in the continental lithosphere using non-free slip and oblique 113 boundary conditions and different lower crustal rheologies. We first present high resolution 3D 114 numerical thermo-mechanical models illustrating the evolution of intracontinental rifting processes 115 and strike-slip deformation leading to the formation of transform/strike-slip margins. We then discuss 116 the implication of the crustal rheology on strain localization and strike-slip deformation. Finally, we 117 compare the models' results to emblematic natural examples of transform margins and propose a 118 simplified tectonic evolution model for the formation of transform margins in intermediate and highly 119 oblique extension.

## 120 **2.** Setup for thermo-mechanical numerical modelling

121 2.1.Modelling approach and initial conditions

122 In order to model the long term deformation of the lithosphere we use pTatin3D (May et al., 2014, 123 2015), a highly scalable, massively parallel implementation of the finite element method. It employs 124 an Arbitrary Lagrangian-Eulerian (ALE) discretization together with the material point method to 125 solve the conservation of mass and momentum for an incompressible fluid coupled with energy 126 conservation.





127 The geometry of the modelled domain is 1200 km in the x direction, 600 km in the z direction and 128 250 km in the vertical y direction (Fig. 2a). Two sets of models are conducted: the first set involves ten 129 models with a resolution of 512x256x128 elements while the second set involves three high resolution 130 models of 1024x512x256 elements for a resolution about 1 km x 1 km x 1 km. The initial lithosphere 131 geometry involves four flat layers. The crust is divided into an upper crust from y=0 km to y=-20 km and a lower crust from y=-20 km to y=-40 km. The upper crust is simulated with a quartz flow law 132 133 (Ranalli & Murphy, 1987) when viscous deformation takes place. Since the lower crust rheology is 134 known to have a first order control on strain localization (Allken et al., 2012; Brune et al., 2017; Corti, 135 2012; Jourdon et al., 2020; Le Pourhiet et al., 2017) we conducted all the experiments with two 136 different lower crust rheologies. The "weak" lower crust models involve a quartz flow law (Ranalli & 137 Murphy, 1987) while the "strong" lower crust models involve an anorthite flow law (Rybacki & 138 Dresen, 2000). The mantle is also divided into two layers, the lithosphere mantle (from y=-40 km to 139 y=-120 km) and the asthenosphere mantle (from y=-120 km to y=-250 km) that share the same 140 rheology simulated with an olivine flow law (Hirth & Kohlstedt, 2003). To simulate the brittle parts of 141 the lithosphere we use the Drucker-Prager pseudo-plastic yield criterion adapted to continuum 142 mechanics (see equation A5).

	Units	Quartz	Anorthite	Olivine
Reference		Ranalli and Murphy 1987	Rybacki and Dresen 2000	Hirth and Kohlstedt 2003
А	MPa <sup>-n</sup> .s <sup>-1</sup>	6.3x10 <sup>-6</sup>	13.4637	$1.1 \times 10^{5}$
n		2.4	3	3.5
Q	KJ/mol	156	345	530
v	$m^3 mol^{-1}$	0	$3.8 \times 10^{-5}$	$18 \times 10^{-6}$

143 Table 1: parameters used for the different flow laws in the model

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The initial temperature field is set with a steady-state analytical solution (Turcotte & Schubert,2002)

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$$T_{\text{init}} = T_{y=0} + \frac{-yq_m}{k} + H \frac{y_p^2}{k} \left(1 - \exp\left(\frac{-y}{y_p}\right)\right)$$
(1)

with  $T_{y=0} = 0^{\circ}$ C, an incoming mantle heat flux  $q_m = 20 \text{ mW.m}^{-2}$ , a radiogenic heat production H = 148 149  $1.2 \times 10^{-6}$  W.m<sup>-3</sup>, a characteristic radiogenic layer of  $y_p = 40$  km and a conductivity of 3.3 W.m<sup>-1</sup>.K<sup>-1</sup>. 150 With this analytical solution the temperature at the Moho (40 km depth, Fig. 2c) is 610°C and the lithosphere-asthenosphere boundary (1300°C) lies at 120 km depth (Fig. 2c). Then, from 120 km to 151 152 250 km depths we prescribe a linear increase of the temperature representing an adiabatic gradient of 0.5°C/km (Fig. 2c). Although this second part of the geotherm is not at steady state, the cooling by 153 154 diffusivity is very slow (less than 2°C/Myr for the maximum cooling rate) and it allows to keep 155 reasonable conductivity values in the asthenosphere  $(3.3 \text{ W.m}^{-1}\text{.K}^{-1})$ .

The initial radiogenic heat production is set as an exponential decay of heat production with depthaccording to Turcotte & Schubert (2002) as follow:

$$H = H_0 \exp\left(\frac{-y}{y_p}\right)$$
(2)



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159 for a surface production  $H_0$  of  $1.2 \times 10^{-6}$  W.m<sup>-3</sup>.

160 In order to initiate the deformation in the central part of the model we define three weak zones that 161 could represent tectonic inheritances in which we prescribe an initial amount of plastic strain that 162 reduces the friction angle as:

$$\varphi = \varphi_0 - \frac{\varepsilon_p - \varepsilon_{min}}{\varepsilon_{max} - \varepsilon_{min}} (\varphi_0 - \varphi_\infty)$$
(3)

164 Where  $\varphi$  is the friction angle,  $\varphi_0$  the initial friction angle (30°),  $\varphi_{\infty}$  the minimum friction angle 165 (5°),  $\varepsilon_p$  the plastic strain and  $\varepsilon_{max}$  the minimum and maximum values of plastic strain between 166 which the plastic strain softening is applied (respectively 0 and 1). The geometry consists in three 167 cubic damaged zone with a side length of 200 km and centred at x = {200; 600; 1000} and z = 300 168 km.

#### 2.2.Boundary conditions

170 The boundary conditions to solve the conservation of momentum are defined with velocity vectors 171 oblique to the boundary (Fig. 2b). On faces normal to the z-axis, we impose the same velocity on the 172 whole face with opposite directions between face  $z_{min}$  and face  $z_{max}$ . On faces normal to the x-axis, we 173 impose periodic boundary conditions (Fig. 2b). The angle of extension  $\alpha$  is determined as the angle 174 between the velocity vector and z, the horizontal direction normal to x (Fig. 2b). For every models we 175 impose a velocity vector of norm  $\|\vec{v}\| = 0.5$  cm/a on each face. Each component of the velocity vector 176 is therefore computed as:

177 
$$\vec{\mathbf{v}} = \begin{pmatrix} \mathbf{v}_{\mathbf{x}} = \sqrt{\|\vec{\mathbf{v}}\|^2 - \mathbf{v}_{\mathbf{z}}^2} \\ \mathbf{v}_{\mathbf{z}} = \|\vec{\mathbf{v}}\| \cos \alpha \end{pmatrix}$$
(4)

178 The basal boundary condition is defined as a constant inflow to compensate the outflow as:

$$\mathbf{v}_{\mathbf{y}} = \frac{2\|\vec{\mathbf{v}}\|.\mathbf{Lx}.\mathbf{Ly}}{\mathbf{Lx}.\mathbf{Lz}} \tag{5}$$

180 Where Lx, Ly and Lz are the length of the domain in the corresponding direction.

181 The boundary conditions to solve the conservation of energy are null heat fluxes on vertical 182 boundaries,  $T_{y=0}=0^{\circ}C$  and  $T_{y=bottom}=1365^{\circ}C$ .

## 3. Post-processing

In order to best interpret the tectonic evolution of the oblique rift models we choose to represent the stress inferred deformation regime, the finite strain and the beta factor in map views. We also display cross-sections oriented either perpendicularly to the strike-slip structures or to the extensional ones on which the second invariant of the strain rate tensor is computed as follow:

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$$\dot{\varepsilon} = \frac{1}{2} \left( \nabla \vec{v} + \nabla \vec{v}^{\mathrm{T}} \right) \tag{6}$$

189 Where  $\dot{\epsilon}$  is strain rate tensor and v the velocity vector. The second invariant is then computed as:

190 
$$\dot{\varepsilon}^{II} = \sqrt{\frac{1}{2}\dot{\varepsilon}_{ij}\dot{\varepsilon}_{ij}} \tag{7}$$

191 With the Einstein summation convention.





192 The stress inferred deformation regime is used to determine which is the dominant instantaneous 193 deformation regime knowing as extensional, transtensional, strike-slip, transpressional and 194 compressional. This method has been used in several studies (Brune, 2014; Brune & Autin, 2013; 195 Buchmann & Connolly, 2007; Delvaux et al., 1997; Hergert & Heidbach, 2011; Simpson, 1997) and 196 allows better interpreting the active tectonic structures. The detailed method is well expressed in 197 Brune et al. 2014 in order to compute the regime stress ratio (RSR) giving a scalar ranging from 0 to 3 198 corresponding to a continuous evolution from extension, transtension, strike-slip, transpression and compression. On Figures 3, 5, 7 we represented each of these deformation regimes with different 199 200colours. The following table 2 displays the upper and lower bounds of each deformation regime.

201 Table 2: Regime Stress Ratio (RSR) values and corresponding interpretation

Strain regime	RSR value
Extension	0 - 0.75
Transtension	0.75 - 1.25
Strike-slip	1.25 - 1.75
Transpression	1.75 - 2.25
Compression	2.25 - 3.0
Extension Transtension Strike-slip Transpression Compression	$\begin{array}{c} 0 - 0.75 \\ 0.75 - 1.25 \\ 1.25 - 1.75 \\ 1.75 - 2.25 \\ 2.25 - 3.0 \end{array}$

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The maps of finite strain (Fig. 3, 5, 7) display both plastic strain and the mantle exhumation age when the mantle starts to exhume. The plastic strain is computed as the cumulative deformation over time when deformation occurs under the Drucker-Prager yield criterion (eq. A6). The mantle exhumation age is designed to be compared with oceanic seafloor age or magnetic anomalies. It is computed as the time at which the particles cooled down below 800°C (Jourdon et al., 2020).

208 On Figures 3, 5, 7, the beta factor represents the crustal thinning as a ratio of the crust thickness at a 209 given time over the initial crust thickness as:

$$\beta_n = \frac{hc_{t=n}}{hc_{t=0}}$$
(8)

211 Where  $\beta_n$  is the beta factor at time n,  $hc_{t=n}$  is the crustal thickness at time n, and  $hc_{t=0}$  is the initial 212 crustal thickness.

Figure 11 represents the rift obliquity with respect to the extension direction. In order to compute the rift obliquity we define two boundaries depending on the beta factor value. The boundary labelled OCT (Ocean-Continent Transition) corresponds to the highest beta factor value (i.e. the location where the crust is the thinnest before the exhumed mantle) and the boundary labelled "necking" corresponds to the contour of the beta factor value equal to 2. Then we extract discrete points located on these contours and use the dot product between a vector defined by two points located on these contours  $(\vec{u_c})$  and a vector defining the boundary condition velocity  $(\vec{v_b})$  to compute the angle  $\gamma$  such as:

220 
$$\gamma = \cos^{-1} \left( \frac{\overline{u_c} \cdot \overline{v_b}}{\|\overline{u_c}\| \times \|\overline{v_b}\|} \right)$$
(9)

In order to highlight the first order structure orientation we then average the value of  $\gamma$  on rift segments of 20 km.





# **4. Numerical models results**

224 In this study, we conducted ten experiments with a resolution of  $\sim 2 \text{ km x } 2 \text{ km per element.}$ Five simulations with a weak lower crust, and five simulations with a strong lower crust for angles of 225 226 extension  $\alpha = 15^{\circ}$ ,  $30^{\circ}$ ,  $45^{\circ}$ ,  $60^{\circ}$  and  $75^{\circ}$  have been run. From these ten simulations setups three were 227 selected and run at higher resolution (~1 km x 1 km x 1 km per element). The three selected 228 simulations are weak lower crust;  $\alpha = 60^{\circ}$ ; and strong lower crust;  $\alpha = 45^{\circ}$  and 15°. These three 229 models better capture the detailed structures associated with evolution of offset rift basins linked by 230 strike-slip structures and allow imaging very precisely the progressive formation and evolution of strike-slip and transform margins. Therefore, we present in details the evolution through time and 231 232 space of these three models before summarising the results of all the lower resolution simulations.

## 233 4.1.Model 1: Weak lower crust, 60° extension

234 Deformation starts to localize around 5 Myr and isolated grabens individualise. These grabens are 235 limited by extensional to transtensional en-échelon faults oriented almost perpendicularly (~N110) to 236 the extension direction (Fig. 3a and 4A). From 15 Myr, as strain localizes more intensively in basins, 237 the en-échelon deformation re-organizes (Fig. 3g and 4C). Newly formed strike-slip faults in shear 238 zones oriented N75 link the N110 trending normal faults in the basins. The initial normal faults that 239 are no more active start to rotate clockwise along the diffuse strike-slip structures (Fig. 3h and 3k). A differential thinning of the crust occurs between strike-slip fault zones and dip-slip deformation zones 240 241 leading to basins individualization (Fig. 3i). Then, strike-slip linkage occurs (Fig. 3j) to form large-242 scale transfer zones (~100 km long; ~50 km width) between offset basins. The major large-scale 243 transfer zone is localized along pre-existing damaged zone. Strike-slip shear zones display a N60 244 surface orientation and a dip of 90° (Fig. 4D and 4E, Cross section b-b') while newly formed 245 divergent shear zones show a ~N95 surface orientation. Strike-slip and divergent shear zones form an 246 angle of  $35^{\circ}$  between each other and an angle of  $30^{\circ}$  and  $65^{\circ}$  with the extension direction. With the 247 strike-slip strain localization, small regions with transient compressional stress regimes appear in the 248 strike-slip to divergent transition zones accommodating the clockwise rotation (Fig. 3g and 3j). During 249 the rifting phase, normal faults formed at the early stages of thinning are passively rotating. As they 250 approach the strike-slip transfer zones their orientation change through time from N110 (at 5 Myr, Fig. 251 3a) to N10 (at 30Myr, Fig. 3p) showing a clockwise rotation of  $\sim 100^{\circ}$ . Finally, when the mantle 252 exhumes and ridge accretion takes place (Fig. 3p), the continental lithosphere retrieves a rigid 253 behaviour and deformation only localizes in the mantle along transfer fault zones oriented N80 to 254 N100.

The final geometry of the continental margins is dominated by divergent segments that are parallel to the exhumation age mantle stripes (i.e., to magnetic anomalies, Fig. 3q), while margin segments located close to strike-slip faults zones are perpendicular to these mantle stripes (Fig. 3q). Offset divergent basins are bounded by strike slip fault zones controlling ridge propagation. The orientation of these segments highlights that the ridge propagation along strike stops until the strike-slip faults zones start to accommodate mantle exhumation. As shown by the evolution of the rift through time, under constant plate kinematics, the active deformation regime changes and re-orients.

## 262 4.2.Model 2: Strong Lower Crust, 45° extension

In this model, the deformation starts to localize as extensional shear zones at the edges of the initial damaged zones (Fig. 5a and 6A). Inside the weak zones, active deformation zones trend perpendicular (~N130) to the extension direction while at the weak zones edges deformation is oriented N110. The stress field evidences weak and diffuse compression that accommodates the shear zones orientation variations between damaged zones (Fig. 5a). Areas situated between localized shear zones show a



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268 diffuse strike-slip stress field. As thinning progresses, the deformation localizes more intensively in the basins along shear zones oriented N110 (Fig. 5d and 6B). Between the basins, the active 269 270 deformation is localizing along N70 transfer zones with a sigmoid shape. The shear zones orientation 271 evolves from N90 at the edge of the basins to N70 (Fig. 5d) where elongated lower crustal domes 272 exhume in the transition zones between basins and strike-slip shear zones (Fig. 5e). The associated 273 stress field also display variations from purely strike-slip to transtensional (Fig. 5d). At 10 Myr, the 274 transfer zones show transtensional deformation in the most localized deformation area (Fig. 5d), while at 15 Myr strike-slip deformation dominates (Fig. 5g). Once pure strike-slip deformation takes place in 275 276 the central part of the transfer zones (from 15 Myr), strain partitioning intensifies. The transfer zones 277 are divided in three domains, (1) the most external domain dominated by pure extension, (2) a 278 transitional domain dominated by transtensional deformation and (3) the central domain dominated by 279 pure strike-slip (Fig. 5g). These three domains are visible in cross-section (Fig. 6C, cross-section a-a' 280 and e-e') where two normal shear zones located on the borders of the transfer zones accommodate the 281 thinning of the lithosphere while in the centre a vertical shear zone accommodates the horizontal 282 displacement. From 18 Myr, ridge dynamics takes place in the basins (Fig. 5j and 6D). The transition 283 region between basins and transfer zones displays small en-échelon shear zones with compressional 284 stresses at their tips accommodating local clockwise rotation (Fig. 5j). At 30 Myr, the continental crust 285 in the transfer zones finally breaks up and the oceanic domain display a suite of interconnected basins 286 with sigmoid shapes (Fig. 5q).

287 The final structure of the continental margins (at 30 Myr) shows a spatial repetition of three segments 288 associated respectively with divergent, transtensional and strike-slip kinematics. The divergent 289 segments are parallel to the mantle exhumation age stripes and to the main necking faults located 290 along the initial weak zones (Fig. 5q). Transitional segments, located between the divergent and the 291 strike-slip segments show exhumed lower crustal and mantle domes (Fig. 5q and 6F). The deformation 292 pattern combines strike-slip, extensional and transitory compressional structures formed during the 293 evolution of the rift system. They are related to stress field dynamics with rotation between basins that 294 are mainly divergent and transfer zones that are mainly strike-slip. Finally, the strike-slip segments 295 form the third part of the margins where the mantle exhumed domain is the narrowest. The 296 deformation pattern is relatively simple with a strike-slip shear zone at the centre and only few 297 preserved normal faults in the thinned continental domain.

#### 4.3.Model 3: Strong Lower crust, 15° extension

In this model, the deformation initiates as a wide and diffuse strike-slip region without clear individual 299 300 faults or shear zones, excepted along the model borders (Fig. 7a and 8A). At 10 Myr, the deformation 301 already localizes along a central vertical strike-slip shear zone oriented N90 and two surrounding 302 normal shear zones (Fig. 7d and 8B cross-section a-a'). From this stage, the deformation in the central 303 part of the model located between initial damaged weak zones evolves from strike-slip to 304 transtensional and extensional (Fig. 7g and 7j). Basins develop in these zones accommodate the 305 maximum vertical displacement (Fig. 71). At the same time, between and around these basins, the 306 deformation progressively localizes as transtensional to vertical strike-slip shear zones oriented N70 to 307 N90 (Fig. 7j and 8D). Then at 25 Myr the deformation partitions between large scale (~500 km long) 308 strike-slip shear zones oriented N80 and extensional shear zones in between (Fig. 7m and 8E). The 309 strike-slip motion leads to the clockwise rotation of individualized blocks. This rotation produces 310 transient compressive strain in the hinges of the blocks (Fig. 7m and 7p). While during the first 311 deformation phase (from 0 Myr to 20 Myr) the extensional deformation localized along N90 shear 312 zones, during the second phase the extensional structures located between the large scale transform 313 faults display a N105 orientation (Fig. 7m and 7p). Compared to the two previous models, the crust





thins slower and at 30 Myr the mantle is not exhumed yet. In addition, the maximum crustal thinning occurs between the initial damaged zones between the strike-slip shear zones. However, the crosssection b-b' (Fig. 8B) following the orientation of the transform faults and crossing the normal faults perpendicularly shows a hyper-thinned margin over ~300 km. The high obliquity of the extension velocity favours horizontal displacements over vertical ones. This results in a relative dextral motion of ~200 km on each transform shear zones in 30 Myr while continental break-up has not yet occurred.

The final structure of the continental margins (at 30 Myr) shows three strike-slip dominated shear zone that are parallel to the extensional direction limiting two elongated extensional segments (Fig. 7p and 7q).

#### 323 4.4.Effect of obliquity and rheology on strain localization and rift evolution

324 Figure 9 shows the results of all 2 km x 2 km x 2 km resolution simulations at 30 Myr. The models 325 results show that for the same extension direction, the rheology of the crust exerts a first order control 326 on the rift evolution and margin final structure. The 75° oblique extension models are drastically 327 different for a strong (Fig. 9q and 9r) and a weak lower crust (Fig. 9s and 9t). Although the small 328 degree of obliquity, a weak lower crust leaves more freedom in the model for stress rotation in the 329 crust and favours the development of individual offset basins which are linked by transfer fault zone. This transfer fault zone results from the evolution of the en-échelon distributed deformation that 330 331 progressively localizes as described in the section 4.1 (Model 1). For a strong lower crust, the 332 deformation localizes faster on fewer shear zones and basins develop with a small offset. This strain 333 localization behaviour is different for a direction of extension of 45°. For these simulations, the model 334 with a strong lower crust (Fig. 9i and 9j) develops offset basins while for a weak lower crust (Fig. 9k 335 and 9l) basins are aligned. Finally, for high obliquity ( $\alpha$ =15°) both strong (Fig. 9a and 9b) and weak lower crust (Fig. 9c and 9d) models show that the strike-slip deformation drives the evolution of the 336 337 rift and results in large-scale transform shear zones.

These results tend to demonstrate that in order to form large scale strike-slip deformation that evolves into strike-slip margin segments, the early formation of offset basins is essential in contexts of low to intermediate obliquity. However, in context of important obliquity, the strike-slip deformation drives the evolution of the system as soon as the deformation starts to localize.

342 The modelled rift evolution shows that the deformation of the continental lithosphere takes place in 343 three stages. The first stage corresponds to the initiation of the deformation in a rigid plate. For obliquity angles larger than  $30^\circ$  the deformation always initiates along extensional shear zones 344 345 oriented sub-perpendicular to the extension direction. On the contrary, for obliquity angles below 30° 346 the deformation initiates along strike slip shear zones almost parallel to the imposed velocity field 347 vectors. This behaviour corresponds to the expected strain localization in a rigid plate. However, the 348 second stage of deformation marks significant change in strain regime and localization. The timing for 349 the initiation of this second stage may differ depending on the initial rheology of the lithosphere 350 (strong and weak crust) and the angle of extension but it is always observed. During this phase, the 351 stress field changes and the initial shear zones start to re-orient. For angles of obliquity greater than 352 30° the strike-slip deformation takes place along transfer fault zones to link the offset basins and 353 accommodate the oblique component of the velocity field. Rotation of former faulted blocks is the 354 result of this stress field reorientation at the corner between transfer fault zones and divergent 355 segments, where lower crust exhumation may occur. While for angles of obliquity lower than 30°, the initial strike-slip deformation partitions to later form extensional shear zones that accommodate the 356 357 vertical displacement. Mechanically, the rheology of the lithosphere evolves from a rigid continuous 358 plate to a weakening domain in which the deformation localizes and temperature increases, which





359 contributes to the weakening of the lithosphere. This deformation stage is transient and evolves to the 360 third deformation stage which corresponds to the formation of a new plate boundary where the 361 deformation is highly localized and partitioned along a continuous shear zone separating again two 362 rigid plates.

#### 363 4.5. Lithosphere thickness evolution

364 Figure 10 shows the evolution through time of the crustal thickness and thinning rate for each model. 365 Thickness evolution curves display the crustal thickness evolution in a selected zone located in a basin 366 (i.e. where the extension is maximal), in a strike-slip transfer zone, and in the transition zone between 367 the basin and the transfer zone. At first order, the thinning of the crust is faster in low obliquity models 368 than in high obliquity models (Fig. 10). Low to intermediate oblique extension models favour the formation of extensional shear zones delimiting large basins between which strike-slip transfer zones 369 370 develop and therefore the vertical displacements are greater than the horizontal displacements. 371 Oppositely, high obliquity extension favours the formation of long strike-slip structures between 372 which small basins develop. In this context the horizontal motion is predominant over the vertical 373 motion and the thinning of the continental crust and lithosphere is 2 to 4 times slower than under low 374 and intermediate obliquity extension for the same plate velocity. The rheology of the crust also 375 controls the thinning rate since the deformation is more distributed in a weak crust than in a strong 376 crust, a longer time is necessary to achieve the same thinning of the crust.

377 For low to intermediate obliquity models (from  $\alpha = 75^{\circ}$  to  $\alpha = 45^{\circ}$ ) the thinning of the crust occurs in 378 different phases related to the deformation regime of the lithosphere. The first thinning phase is fast 379 (between 3 mm/yr and 4 mm/yr) and corresponds to the localization of extensional structures. Then, 380 during the second phase (stress re-orientation), while the strike-slip structures start to form, the thinning of the crust slows down (between 1 mm/yr and 2 mm/yr). This slowing down is marked by a 381 382 peak in the thinning rate curves. A delay can also be observed between basins and strike-slip transfer 383 zones where achieving the same amount of thinning can take more time due to the decrease of the 384 vertical velocity component and the increase of the horizontal one in strike-slip shear zones.

## **5.** Comparison with previous modelling studies

#### 5.1. Strain localization

386

Modelling experiments involving oblique boundary conditions (Brune, 2014; Brune et al., 2012; this 387 388 study), offset weak zones (Allken et al., 2012; Le Pourhiet et al., 2017; Zwaan et al., 2016), or oblique 389 weak zones (Agostini et al., 2009; Ammann et al., 2017; Corti, 2012; Duclaux et al., 2020) show that 390 strain localization in the continental lithosphere always begins as extensional structures sub-391 perpendicular to the extension direction for angles between extension direction and the weak zones 392 larger than  $\sim 30^{\circ}$ . Then, as the lithosphere thins and weakens due to mechanical and thermal softening, 393 deformation patterns evolve, and strain is partitioned between extensional and strike-slip segments. 394 Nevertheless, the orientation of these strike-slip segments is not parallel to the imposed plate motion 395 direction, but to local variations of the velocity field. Moreover, the orientation of the tectonic 396 structures changes through time although the global plate motion is kept constant (Brune, 2014; 397 Duclaux et al., 2020; Jourdon et al., 2020; Philippon et al., 2015; Le Pourhiet et al., 2017). For angles 398 of obliquity lower than  $\sim 30^{\circ}$  the models with oblique boundary conditions show that strike-slip 399 deformation dominates (e.g. Brune, 2014) at the onset of intra-continental rifting. Then, localization 400 leads to strain partitioning between pure strike-slip shear zones and extensional shear zones 401 accommodating a small amount of vertical motion and promoting crustal thinning. However, in these 402 highly oblique cases, the vertical motion is very low and the continental lithosphere thins two times





403 slower than for the same velocity with lower obliquity (Fig. 10) (e.g. Brune et al., 2018). Among the 404 models involving cylindrical boundary conditions but offset or oblique weak zones, this degree of 405 obliquity is never reached due to the free-slip boundary condition. Except in presence of very efficient 406 mechanical softening processes (Ammann et al., 2017), two rifts develop and never link (e.g. Le 407 Pourhiet et al., 2017). Therefore, to study systems with very high obliquity, models need to take into 408 account limitations associated with the boundary conditions they use.

#### 409 5.2. Obliquity and offset structures

410 Brune et al., (2012) and Brune et al., (2018) showed that oblique rifting requires less forces than 411 cylindrical rifting during the deformation of the continental lithosphere. However, transform and 412 strike-slip margins do not represent the majority of non-convergent margins (Mercier de Lépinay et 413 al., 2016). Models suggest that the formation of offset structures is essential to produce the association 414 of strike-slip or transform segments and divergent segments (e.g. Allken et al., 2012; Ammann et al., 415 2017; Duclaux et al., 2020; Le Pourhiet et al., 2017; Zwaan et al., 2016). Although the formation of 416 offset structures is intrinsic in models involving offset or oblique weak zones and cylindrical boundary 417 conditions, with oblique boundary conditions the deformation does not necessarily develops offset 418 basins linked by strike-slip shear zones (Brune, 2014; Brune et al., 2012). Thermo-mechanical 419 numerical models involving oblique boundary conditions applied to a uniform lithosphere with one 420 straight weak zone (Brune, 2014; Brune et al., 2012) shows that the deformation localizes to 421 progressively form a unique straight shear zone and straight margins. Models conducted in this study 422 have the same oblique boundary conditions but present three separated weak zones rather than a 423 continuous one. These weak zones allow more freedom for structures to develop inside the model and 424 favour the localization of offset structures. For low to intermediate obliquity, they favour the 425 formation of offset basins while for high obliquity they favour the formation of offset strike-slip shear 426 zones. As shown on Figure 9, the offset between structures is essential to facilitate strain partitioning 427 and to form divergent and strike-slip segments. In models where basins form aligned to each other, 428 only one straight transtensional shear zone develops, while where basins (or strike-slip structures) 429 form with an offset, the deformation partitions between divergent and strike-slip segments (Fig. 11). A 430 first order implication of this result is that although oblique rifting may be ubiquitous (Brune et al., 431 2018; Mélody Philippon & Corti, 2016) structural inheritance and previous geodynamic events should 432 play an important role in the initial localization pattern of offset structures and therefore transform 433 margins.

#### 434 5.3. Transform and strike-slip margins

435 The kinematic conceptual model currently used to interpret and reconstruct the formation of transform 436 margins (e.g. Basile, 2015; Mascle & Blarez, 1987) has already been questioned by thermo-437 mechanical models (e.g. Le Pourhiet et al. 2017). Indeed, our results show that during the intra-438 continental oblique rifting phase, the lithosphere does not behave solely as a rigid plate but shear 439 structures are dynamic, and the deformation pattern changes as deformation progresses. The 440 continental lithosphere rheology evolves through time in favour of mechanical and thermal softening 441 (Fig. 12). Therefore, especially for obliquity angle greater that 30°, it is highly unlikely that transform margins initiate from already segmented ridge-transform fault-ridge system, but rather emerge from 442 443 the progressive evolution of the stress field coupled with local heterogeneities in the lithosphere. 444 Moreover, although the definition that a transform fault is a strike-slip fault forming a plate boundary 445 parallel to the plate relative motion, analogue and numerical models suggest that except for high 446 obliquities, the strike-slip transfer zones formed during continental extension are not necessarily 447 parallel to the global plate motion (Fig. 11) but to the local velocity field, which contrast with oceanic 448 transform faults that form parallel to the plates motion (Gerya, 2012, 2013). On the one hand, for





449 intermediate to low obliquity cases ( $45^{\circ}$  to  $75^{\circ}$ ), the modelled margins that develop strain partitioning display divergent segments oriented between 90° (orthogonal) and 60°, and strike-slip segments 450 451 oriented between  $20^{\circ}$  and  $50^{\circ}$  with respect to the imposed extension direction (Fig. 11e to 11g). These 452 margins present the first order characteristics of transform margins. Indeed, they display offset basins, 453 strike-slip and divergent segments and rotation of the tectonic structures in the (inner or outer corner) 454 concave and convex transition zones between the strike-slip and the divergent margins. On the other 455 hand, the high obliquity margins develop strike-slip faults parallel to the global relative plate motion. 456 The rift system is no more segmented in basins and transfer shear zones but displays pull-apart basins 457 oriented between  $0^{\circ}$  and  $30^{\circ}$  with respect to the extension direction (Fig. 11a to 11d). Highly oblique 458 systems, also present a very slow extension (Fig. 10), a rather cold lithosphere (1300°C isotherm at 459 120 km while the crust is only few kilometre thick) and small length - large width basins. Our 460 numerical models show that even a small amount of obliquity in extension direction can result in 461 important obliquity of the rift structures and trend (Fig. 11) and therefore corroborate that "oblique 462 rifting [is] the rule not the exception" (Brune et al., 2018).

## 463 **6. Comparison with natural cases**

Figure 1 shows natural examples of transform margins formed at different obliquities and presenting very different structures. Indeed, the Gulf of California shows a rift system with small basins segmented by large scale strike-slip faults and a dynamics very similar to high obliquity extension models. In contrast, the Equatorial Atlantic displays large oceanic basins surrounded by continental margins showing alternating strike-slip transfer zones linking long divergent segments (hundreds of km). The African and South American margins share clearly more similarities with intermediate oblique extension models than highly oblique ones.

#### 471 *6.1. Intermediate obliquity rift systems*

472 The Equatorial Atlantic margins represent an historic natural case for which the conceptual and 473 kinematic models of transform margins has been established (Basile, 2015; Mascle & Blarez, 1987). 474 The Equatorial Atlantic is part of a larger scale rifting system leading to Gondwana fragmentation and 475 individual offset basins connected by transform faults during the Mesozoic. Continental margins 476 emerging from this major extensional event display individual offset basins connected by transform 477 faults such as the Mozambique-East Antarctica margins (e.g. Thompson et al., 2019), the Central 478 Atlantic margins (e.g. Schettino & Turco, 2009) and the Equatorial Atlantic margins (e.g. Heine et al., 479 2013). Kinematic reconstructions of the Equatorial Atlantic opening succeed to reconstruct the oceanic 480 opening phase but present gaps, overlaps and misfits of major structures and cratonic bodies for the 481 intra-continental rifting phase. These errors mainly come from the non rigid behaviour of the 482 lithosphere and the locally varying velocity field that cannot be produced in kinematic models. Indeed, 483 our models show that during the intra-continental rifting phase, the stress field, and therefore the 484 structures associated, strongly varies along the rift. However, these variations are not due to plates' 485 kinematic changes, as the imposed velocity boundary condition is constant in our models, but to a 486 change in the rheological behaviour of the continental lithosphere. Indeed, while the continental 487 lithosphere behaves as a rigid plate when the deformation is localized along its plate boundaries, the 488 intra-plate strain localization process is characterized by the interactions between brittle and ductile 489 domains of the lithosphere. Moreover, the crustal and lithospheric thinning allows advecting warm 490 material from the exhuming mantle intensifying the non rigid behaviour of the lithosphere by 491 increasing the intensity of ductile deformation. Numerical models show that this is precisely during 492 this intra-continental rifting phase that strike-slip structures form and that rotation of early structures 493 occurs (Fig. 12e) (e.g. Duclaux et al., 2020).





494 In the Equatorial Atlantic rift system, two offset basins (the Central Atlantic basin to the Northwest 495 and the South Atlantic basin to the Southeast) connect in the future Central Atlantic basin forming an 496 East stepping system of dextral strike-slip fault zones (e.g. Heine et al., 2013).

497 Along the Romanche transform fault (Fig. 1b), the finite deformation shows pull-apart basins with 498 various faults orientations and isolated rotated blocks (e.g. Davison et al., 2016; Mascle & Blarez, 499 1987). Numerical models especially display structures rotation at the junction between divergent 500 segments and transfer strike-slip shear zones. The rotation of tilted blocks associated with a horsetail 501 splay is also observed at the junction between transform and divergent plate boundaries in analogue 502 experiments as well (e.g. Basile & Brun, 1999).

Finally, the continental deformation along the Romanche Transform fault zone is not a single highly localized strike-slip fault but constitutes a deformation corridor of 40 km to 70 km wide in which normal, reverse, strike-slip faults, or a combination of these are present (Basile et al., 1993; Nemčok et al., 2012). This wide deformation zone in which a main strike-slip structure finally localizes well illustrates the progressive strain localization process as shown in numerical models.

#### 508 6.2. High obliquity rift systems

509 The Gulf of California represents the most compelling example of a highly oblique rift system. In 510 relation with the dextral San Andreas Fault system, the Gulf of California is an active plate boundary 511 formed in response to the relative motion between the Pacific and North America plates of ~ 5mm/a 512 (Plattner et al., 2007). Since ~12 Ma, the cessation of the Pacific plate's subduction beneath the Baja 513 California led to a major change in plate kinematics (Atwater & Stock, 1998; DeMets & Merkouriev, 514 2016; McKenzie & Morgan, 1969). This event is responsible of the highly oblique extension in the 515 Gulf of California (Lizarralde et al., 2007). The structural analysis performed on faults and shear zones 516 shows that the average angle between the rift system and the extension direction is  $\sim 20^{\circ}$  (e.g. Bonini et 517 al., 2019). Moreover, the general trend of normal faults strike in the continental margin shows a NNW orientation while the strike-slip faults display a NW-SE strike, indicating a  $\sim 20^{\circ}$  difference in 518 519 orientation. Several models were proposed to interpret the surface deformation evolution through time 520 and space in the Gulf of California between ~12 Ma and present day. These models involve two end-521 members, one implying a progressive change in the deformation regime firstly dominated by extension 522 (between 12 Ma and 6 Ma) and followed by dextral shear (from 6 Ma to present) (e.g. Darin et al., 523 2016; Spencer & Normark, 1979; Stock & Hodges, 1989) and the other implying a coexistence of 524 strike-slip faults and normal faults since ~12 Ma (e.g. Fletcher et al., 2007; Seiler et al., 2010).

525

526 The numerical models presented in this study are not specifically designed for particular natural rifts, 527 especially in terms of imposed velocities or tectonic inheritances. However, the high obliquity 528 numerical model (extension angle  $\alpha$ =15°) shows striking first order similarities with the Gulf of 529 California rift system and may bring new insights regarding the strain localization in highly oblique 530 rifts such as the Gulf of California. For constant boundary conditions (1 cm/a, 15° obliquity) the strain 531 localizes along normal shear zones forming a  $\sim 15^{\circ}$  angle with the extension direction located at the 532 boundaries of the rift system while in its central part a large scale strike slip shear zone develops. The 533 deformation regime then evolves to transtension and forms pull-apart basins separated by strike-slip 534 shear zones parallel to the plate motion. The system then reaches a stable partitioned state with large 535 transform faults in the central part of the rift separating pull-apart basins and normal faults on the 536 edges parallel to the rift trend. Moreover, the high obliquity favours horizontal strike-slip motion over 537 vertical motion resulting in a dextral displacement of 200 km while break-up did not occurred yet. In 538 the Gulf of California the strike-slip motion since the Miocene (~12 Ma) represents 200 km to 300 km 539 (DeMets & Merkouriev, 2016; Stock & Hodges, 1989).





540

- 541 Therefore, the numerical model tends to show that the deformation could be partitioned since the onset
- 542 of highly oblique continental rifting, but with a first phase of predominant extension preserved in the
- 543 continental margin and predominant dextral shear in the nascent oceanic/exhumed mantle domain
- 544 (Fig. 12a) and a second phase of predominant dextral deformation with pull-apart basins in between
- 545 (Fig. 12b) followed by the rotation of extensional structures (Fig. 12c).

## 546 Conclusion

- 547 Numerical models presented in this study show that:
- 548 The strike-slip faults responsible for transform margins formation do not form parallel to the
   549 plate motion except for highly oblique extension (α > 30°)
   550 En-échelon deformation and offset basins are required to develop strike-slip linkage shear
- En-echelon deformation and offset basins are required to develop strike-shp linkage shear
   zones evolving to transform margin
- Localized strike-slip shear zones form after normal faults once the lithosphere is already
   thermally and mechanically weakened.
- The lithosphere weakening leads to stress and strain re-orientation under same kinematic
   boundary conditions

556

## 557 Figures captions

Figure 1: a) Simplified structural map of the Gulf of California rift system (modified from Bonini et
al., 2019; Ferrari et al., 2018; Fletcher et al., 2007). Large white arrows display the plate motion
between the North American plate and the Pacific plate from Plattner et al., (2007). b) Simplified
structural map of the Equatorial Atlantic rift system at 110 Ma modified from Heine et al., (2013). FZ:
Fault Zone.

Figure 2: Numerical models setup. a) 3D spatial representation of the model domain with the 3 initially damaged zones. b) Schematic representation in map view of the velocity boundary conditions.  $\alpha$  is the angle between the velocity vectors and the x direction. c) Yield stress envelopes and initial geotherm of strong and weak lower crust models.

567 Figure 3: Model 1, Weak lower crust,  $\alpha = 60^{\circ}$ , map views. Left column: Active strain regime, the 568 intensity of the colours depends on the intensity of the second invariant of the strain rate. The 569 background represents the topography with hill shading. Central column: Plastic strain computed from 570 equation (A5) in the crust and exhumation ages of the mantle below 800°C isotherm. Right column: 571 Beta factor of the crust computed with equation (8).

572 Figure 4: Model 1, Weak lower crust,  $\alpha = 60^{\circ}$ . Map views and cross-sections of simulated lithologies 573 and second invariant of the strain rate tensor (equation 7).

574 Figure 5: Model 2, Strong lower crust,  $\alpha = 45^{\circ}$ , map views. Left column: Active strain regime, the 575 intensity of the colours depends on the intensity of the second invariant of the strain rate. The 576 background represents the topography with hill shading. Central column: Plastic strain computed from 577 equation (A5) in the crust and exhumation ages of the mantle below 800°C isotherm. Right column:

578 Beta factor of the crust computed with equation (8).





579 Figure 6: Model 2, Strong lower crust,  $\alpha = 45^{\circ}$ . Map views and cross-sections of simulated lithologies 580 and second invariant of the strain rate tensor (equation 7).

581 Figure 7: Model 3, Strong lower crust,  $\alpha = 15^{\circ}$ , map views. Left column: Active strain regime, the

582 intensity of the colours depends on the intensity of the second invariant of the strain rate. The

- 583 background represents the topography with hill shading. Central column: Plastic strain computed from
- 584 equation (A5) in the crust and exhumation ages of the mantle below 800°C isotherm. Right column:
- 585 Beta factor of the crust computed with equation (8).
- 586 Figure 8: Model 3, Strong lower crust,  $\alpha = 15^{\circ}$ . Map views and cross-sections of simulated lithologies 587 and second invariant of the strain rate tensor (equation 7).

Figure 9: Map view of the 2 km x 2 km x 2 km resolution models at 30 Myrs. The two left columns display the strong lower crust models while the two right columns display the weak lower crust models. For each model the second invariant of the strain rate tensor and the plastic strain and mantle exhumation age are displayed.

Figure 10: Curves of crustal thickness in a), g) basins, b), h) transition zones, c), i) transfer/strike-slip zones for strong and weak lower crust models. Curves of crustal thinning rate computed as the time derivative of crustal thickness for d), j) basins, e), k) transition zones and f), l) transfer/strike-slip zones for strong and weak lower crust models.

Figure 11: Map view of each model representing the angle of the Ocean-Continent Transition (OCT)and the necking zone with respect to the extension direction.

598 Figure 12: Schematic simplified evolution of intracontinental deformation leading to the formation of 599 strike-slip and transform margins for high and intermediate obliquity based on numerical models 600 results.

601

602





(A2)

# 603 Appendix A

610

To model the deformation of the lithosphere at geological timescales we use pTatin3D (May et al., 2014, 2015). The code uses an Arbitrary Lagragian-Eulerian (ALE) discretization with the material point method to solve the conservation of momentum:

607 
$$\nabla . (2\eta \dot{\mathbf{\epsilon}}) - \nabla P = \rho \vec{g}$$
(A1)

608 where  $\eta$  is the non-linear effective viscosity,  $\dot{\epsilon}$  the strain rate tensor, P the pressure,  $\rho$  the density,  $\vec{g}$  the 609 gravity acceleration vector. The conservation of mass is solved for an incompressible fluid:

$$\nabla . \vec{\mathrm{v}} = 0$$

611 with  $\vec{v}$  as the velocity vector.

To consider the interactions between deformation and temperature, the Stokes flow is coupled with thetime dependent advection-diffusion energy conservation law:

614 
$$\frac{\partial T}{\partial t} + \vec{v} \cdot \nabla T = \nabla \cdot (\kappa \nabla T) + \frac{H}{\rho C p}$$
(A3)

615 where T is the temperature,  $\vec{v}$  the velocity vector of the fluid,  $\kappa$  the thermal diffusivity and Cp is the 616 heat capacity. The heat source H is the sum of the radiogenic heat production (eq. 2, in the main text) 617 and the shear heating heat production Hs:

618 
$$Hs = \frac{2\eta \varepsilon^{II^2}}{\rho Cp}$$
(A4)

619 According to the Boussinesq approximation the material density may vary with pressure and 620 temperature as:

621 
$$\rho = \rho_0 (1 - \alpha (T - T_0) + \beta (P - P_0))$$
(A5)

622 where  $\rho_0$  is the initial material density,  $\alpha$  the thermal expansion coefficient and  $\beta$  the compressibility.

To solve the Stokes flow we use Q2-P1 elements while the energy conservation is solved with
 a Q1 discretization. The top boundary of the domain is defined with a free surface boundary condition
 evolving dynamically with the deformation.

#### 626 Rheological model

627 The mechanical behaviour of the lithosphere at geological timescales is simulated with a visco-628 plastic rheology. The brittle parts of the lithosphere are simulated with the Drucker-Prager pseudo-629 plastic yield criterion adapted to continuum mechanics:

630 
$$\eta_p = \frac{C\cos(\phi) + P\sin(\phi)}{\epsilon^{II}}$$
(A6)

631 where C is the cohesion (20 MPa),  $\phi$  the friction coefficient, P the pressure and  $\dot{\epsilon}^{II}$  the second invariant 632 of the strain rate tensor. To simulate the mechanical softening in brittle faults, we apply a simple linear 633 decrease of the friction angle from 30° to 5° with accumulated plastic strain from 0 to 1 (equation 3 in 634 main text). Moreover, laboratory experiments show that under high confining pressures (> 1GPa) 635 rocks no more behave as brittle but as plastic materials (e.g. Kameyama et al., 1999; Precigout et al., 636 2007). To consider that change we limit the Drucker-Prager yield stress to a maximum deviatoric 637 stress of 400 MPa according to the findings in Watremez et al. (2013).





638 The ductile deformation is modelled with the Arrhenius flow law for dislocation creep:

$$\eta_{\rm v} = A^{-\frac{1}{n}} \left( \dot{\epsilon}^{\rm II} \right)^{\frac{1}{n-1}} \exp\left( \frac{Q + PV}{nRT} \right) \tag{A7}$$

640 where A, n and Q are material dependant parameters (see Table 1), R is the gas constant and V is the 641 activation volume.

## 642 Code availability

- 643 Models of this study were produced with pTatin (May et al., 2014, 2015), an open source code for
- 644 geodynamics modelling publicly available at: https://bitbucket.org/ptatin/ptatin3d/src/master/.

## 645 Authors contribution

646 Anthony Jourdon designed, ran and post-processed the models, wrote the manuscript and produced the 647 figures. Charlie Kergaravat and Guillaume Duclaux contributed to results discussion and 648 interpretation, figures production and writing of the manuscript. Caroline Huguen contributed to the 649 conceptualization of the study.

# 650 Competing interests

651 Three of the authors were or are employed by the energy company TOTAL S.A. Models computing 652 was done on TOTAL's Pangea supercomputer.

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854	

855

















5 Myr

## (Figure 3)





(Myr)



Weak Lower Crust  $\alpha = 60^{\circ}$ 

Ď

5 Myr

500

Initial thinning

500 b

400





#### (Figure 4)







#### (Figure 5)



Strong Lower Crust  $\alpha = 45^{\circ}$ 



(Myr)







(Figure 6)



28

έ<sup>II</sup> (s<sup>−1</sup>)

- 10-15

10-16

- 10-17

10-18

10-19





(Figure 7)

500
400
300
200-5
100
km 200 400 600 800 1000
500 d 10 Myr
400-
300
200-
100-
km 200 400 600 800 1000
500 15 Myr
400-
300
200-
100-
km 200 400 600 800 1000
500 j 20 Myr
400-
300
200
100-
km 200 400 600 800 1000
km         200         400         600         800         1000           500
km         200         400         600         800         1000           500
km 200 400 600 800 1000 500 ml 25 Myr 400 300
km 200 400 600 800 1000 500 m 25 Myr 400 300 200 4 10 100 100
km 200 400 600 800 1000 500 m 25 Myr 400 200 4 100
km       200       400       600       800       1000         500       ml       25 Myr         400       300       -       -         300       -       -       -         200       400       600       800       1000         km       200       400       600       800       1000
km       200       400       600       800       1000         500       m       25 Myr         400       200       400       600       800       1000         300       200       400       600       800       1000         km       200       400       600       800       1000         500       P       30 Myr
km       200       400       600       800       1000         500       m       25 Myr         400       -       -       -         300       -       -       -         200       400       600       800       1000         km       200       400       600       800       1000         500       P       30 Myr         400       -       -       -
km       200       400       600       800       1000         500       25 Myr         400       200       400       100         200       400       600       800       1000         100       200       400       600       800       1000         500       9       30 Myr         400       300       9       30 Myr
km       200       400       600       800       1000         500       m       25 Myr         400       200       400       600       800       1000         200       400       600       800       1000         km       200       400       600       800       1000         500       m       300       300       300       1000         200       400       600       800       1000       1000
km       200       400       600       800       1000         500       25 Myr         400       200       400       600       800       1000         300       200       400       600       800       1000         km       200       400       600       800       1000         500       9       30 Myr         400       300       9       1000         500       9       30 Myr         400       400       600       800       1000
km       200       400       600       800       1000         500       25 Myr         400       200       400       600       800       1000         300       200       400       600       800       1000         km       200       400       600       800       1000         500       P       30 Myr         400       300       1000       100         km       200       400       600       800       1000         km       200       400       600       800       1000
km       200       400       600       800       1000         500       25 Myr         400       200       400       600       800       1000         300       200       400       600       800       1000         100       300       300       300       300       300         500       9       30 Myr       300       300         100       300       400       600       800       1000         500       9       30 Myr       300       300       300         100       300       400       600       800       1000         100       400       600       800       1000         100       200       400       600       800       1000

Strike-slip



(Myr)

С





15 Myr

800 1000

Ľ

<mark>a'</mark> 0

-40

80

-120

0

40

80

b'

0.km

30 Myr

40

-80

120

 $0 \,\mathrm{km}$ 



10-19 10-18











Weak Lower Crust

Strong Lower Crust

(Figure 9)

3







(Figure 11)







(w.r.t. extension direction)





## (Figure 12)

